

Selection and Incentive Effects in Health Insurance

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Risk sharing and incentives

- ▶ Health insurance reform:
 - ▶ putting patients (more) at risk
 - ▶ decreasing level of coverage : lower demand for health care (incentive effect)

trade-off between risk sharing and incentives.

- ▶ coverage ↓ \Rightarrow expected cost (risk) ↓ (moral hazard)
- ▶ coverage ↓ \Rightarrow demand for *insurance* ↓
- ▶ expected cost (risk) ↓ \Rightarrow premium ↓
- ▶ premium ↓ \Rightarrow demand for *insurance* ↑

Trade off

- ▶ Terms of the trade-off :
 - ▶ coverage elasticity of risk (“moral hazard”)
 - ▶ price (premium) elasticity of demand for insurance
 - ▶ coverage elasticity of demand

Asymmetries of information in health insurance

- ▶ Moral hazard: endogenous risk
 - ▶ expected cost depends on unobserved action (prevention effort)
- ▶ In health care insurance, “ex post” moral hazard:
 - ▶ demand for health *care* price elastic
 - ▶ health insurance : cost *reimbursement*
 - ▶ induces an ex post price distortion

Asymmetries of information in health insurance: a simple theory

Timing:

- ▶ Health state h is drawn from a distribution, observed by the agent (but not by us).
- ▶ Risk (some endogenous variable) x is realised (e.g., health care consumption).

We observe x and D (but not h).

First glance at the data

CSS (a major health insurance fund) in the *Canton de Vaud*
89 141 individuals (62 415 adults)
administrative claims for years 1997 to 2007.

<i>Deductible</i>	230	400	600	1 200	1 500
Average expenditure	3 474	2 648	1 872	1 327	614

Positive correlation between coverage and expenditures.
(Q: causality?)

Selection and incentive effects

Notation: $(x|y)$ the distribution of x conditional on y , $\mu_x(\cdot|y)$ its c.d.f.
A random variable x is a **signal of bad health** if: it is observable; it is negatively related to h , *conditionally on D* .

Formally : for any D , for any $h' > h$, $(x|D, h) \succeq (x|D, h')$.

There is an **incentive effect** on x if :

$$\forall h, D' > D \Rightarrow (x|D, h) \succeq (x|D', h).$$

There is a **selection effect** if a higher deductible (lower coverage) reveals a better distribution of health state (a larger θ):

$$D' > D \Rightarrow (h|D') \succeq (h|D).$$

Lemma: separating incentive and selection effects

Let $D' > D$ be two contracts, x a signal of bad health (real-valued random variable which decreases with h) We have:

$$\begin{aligned}
 E[x|D] - E[x|D'] &= \underbrace{\int_{\tilde{h}} \left(E[x|D, \tilde{h}] - E[x|D', \tilde{h}] \right) d\mu_h(\tilde{h}|D')}_{A(D, D')} \\
 &+ \underbrace{\int_{\tilde{h}} \frac{\partial E}{\partial h}[x|D, \tilde{h}] \left(\mu_h(\tilde{h}|D') - \mu_h(\tilde{h}|D) \right) d\tilde{h}}_{B(D, D')}
 \end{aligned}$$

- ▶ $A(D, D') \geq 0$ if there is an incentive effect on x .
- ▶ $B(D, D') \geq 0$ if there is a selection effect: $D' > D$ reveals a better health, which induces less spendings.
- ▶ Either effect induces a negative correlation between D and X .

Need more structure

A model

- ▶ Health care good x , unit price p .
- ▶ Consumption (composite) good c , numeraire (price =1)
- ▶ exogenous income W .
- ▶ State-depedent preferences $u(c, x; h)$.
 - ▶ Ex1: $u(x, c, h) = U(c) + H(x + h)$ (separable in c and $h...$)
 - ▶ Ex2 (Cobb-Douglas):

$$u(x, c, h) = b(h) + \alpha(h) \ln(c) + (1 - \alpha(h)) \ln(x)$$
 - ▶ What matters is that MRS_{xc} decreases with $h...$

Ex ante efficiency

$$\max_{x(\cdot), c(\cdot)} \text{ s. t. } E[u(x(h), c(h); h)].$$

$$E[px(h) + c(h)] \leq W$$

No ex post distortion: $X(h, W)$ first best level.

$$\forall h, \frac{u_x}{u_c}(X(h), c(h); h) = p.$$

Full insurance: for all (h, h') :

$$u_c(X(h), c(h); h) = u_c(X(h'), c(h'); h').$$

- Note : if $u_{ch} = 0$, then First best health insurance = no insurance!

Implementation?

First best efficient allocation would be implementable with health-dependant income transfer (self-financed, $E[T(h)] = 0$):

$$T(h) = pX(h) + c(h) - W.$$

Ex post decision:

$$\begin{aligned} \max_{x, c} \quad & u(x, c; h). \\ \text{s. t.} \quad & \\ & px + c \leq W + T(h). \end{aligned}$$

$$T(h) = L(h) - E[L(h)],$$

$E[L(h)]$: insurance premium, prepaid.

$$L(h) = \underbrace{pX(h)}_{\text{health care}} + \underbrace{c(h) - E[c(h)]}_{\text{consumption insurance}}.$$

Second best insurance

BUT no such scheme (h unobservable).

Imperfect insurance $t(x)$, with copayment rate $t'(x) \geq 0$, instead of $T(h)$.

Example: deductible D , $I(x) = \max\{px - D; 0\}$; fair premium $P = E[I(x(h))]$.

Ex post:

$$\begin{aligned} \max_{x, c} \quad & u(x, c; h). \\ \text{s. t.} \quad & px + c \leq W + I(x) - E[I(x)]. \end{aligned}$$

Budget constraint : $C(x) + c \leq W$, with $C(x)$: out-of-pocket expenditure (+ premium): $C(x) = px - I(x) + E[I(x)]$.

Marginal price of health care: $C'(x) = p$ if $px < D$, $C'(x) = 0$ if $px > D$; more generally, $C'(x) \neq p$ for some x : “moral hazard”.

Second best insurance contract

Three distortions:

- ▶ Price $p(1 - t')$ is too small (ex post): incentive effect.
- ▶ No coverage of consumption risk $c(h) - E[c(h)]$.
- ▶ Income transfer $t(x(h))$ may be too small or too large

If D increases, copayment t' increases: less distortions, but less risk sharing.

Second best) optimal contract:

- ▶ depends on risk aversion and price elasticity of demand for health care
- ▶ trade off between *risk sharing* and *incentives*
- ▶ Blomqvist (1997): nonlinear contract, copayment decreases with expenditure

Empirical issue: effect of copayment on health care expenditures?

Health care: usual empirical finding:

Positive correlation between coverage and expenditures.

Causality?

Separating adverse selection and “moral hazard”:

- ▶ Difficult empirical issue (esp. on cross sectional data)
- ▶ Policy issue

Econometric study of Swiss health insurance claims data.
(joint work with Lucien Gardiol and Chantal Grandchamp,
University of Lausanne).

Health insurance in Switzerland: regulated competition

- ▶ Each insurance firm offers the same menu of contracts
- ▶ Insurance is mandatory, selection is prohibited.
- ▶ Premiums are independent of age, sex, health condition
- ▶ Risk adjustment scheme
- ▶ Insurance firms compete in premiums
- ▶ Premium subsidy for the poor
- ▶ + a bit of Managed Care.

The Swiss system: an economist's dream?

Each contract:

- ▶ a deductible D
- ▶ a copayment rate $\tau = 10\%$
- ▶ a cap on annual expenditure $D + 600$ Sfr.

(600 Sfr = 400 EUR)

(mean household income, 2001 : 105 000 Sfr)

Each individual faces the same menu of contracts:

$D \in \{230, 400, 600, 1200, 1500\}$.

→ information on opportunity cost.

The data

CSS (a major health insurance fund) in the *Canton de Vaud*
 89 141 individuals (62 415 adults)
 administrative claims for years 1997 to 2000; age, sex, annual
 inpatient and outpatient expenditure; invalidity rent, premium
 subsidy, supplementary insurance (with CSS).
 Annual expenditure (reference category: $D = 1500$, $x \simeq 1200$)

<i>Deductible</i>	<i>230</i>	<i>400</i>	<i>600</i>	<i>1'200</i>
Difference	2'860	2'034	1'258	713

Positive correlation between coverage and expenditures.
 But: endogenous choice of coverage D !

Asymmetries of information: the “complete” story

Timing:

- ▶ The menu of contracts is given (no “adverse” selection).
- ▶ Agent observes θ (some information about health risk)
- ▶ Agent chooses coverage D (smaller D = better coverage)
- ▶ Health state $h = \theta + \varepsilon$ is drawn, observed by the agent (but not by us).
- ▶ Risk (some endogenous variable) x is realised.

Random variable x : represents some (possibly endogenous) component of the risk. Examples: measures of health care consumption (number of visits or inpatient stays, annual expenditure,...); death.

We observe x and D (but not θ or h).

Death and the deductible: First strong evidence of selection

Presumably, no incentive effect (esp., no *positive* effect of coverage on mortality).

Raw figures (keep only individuals ages 20 to 64, who did not exit the sample except by death).

D	n	number of deaths				death rate	
		1997	1998	1999	2000	Total	
230	12'362	75	56	58	68	257	2.0790
400	4'195	12	8	11	11	42	1.0012
≥ 600	8'757	12	21	16	12	61	0.6966
Total	25'314	99	85	95	91	360	1.4221

Death and the deductible: controls

Simple logit analysis: $X = 1/0$ indicates if the individual has died or not in the four year period.

Variables (X)	Coefficients	Odds Ratio	z
Constant	-7.1000		-6.92
Gender (ref=female)	0.8376	2.3108	7.66
Age	0.0075	1.0076	0.17
Age squared	0.0007	1.0007	1.53
Deductible 230	0.6657	1.9459	3.95
Deductible > 600	-0.3671	0.6927	-1.81

Further analysis: sample selection

Keep only adult men (aged over 25), who stayed with CSS over four years, did not change deductible, are not eligible to disability pension benefits, did not receive a premium subsidy.

Final data set: 7 885 individuals, four years.

Variables (n=31'540)		Mean	Std-dev.
Age in 1997		52.68	14.92
Outpatient expenditures		1'854.17	3'288.77
Frequency of inpatient costs > 0		0.09	–
Inpatient expenditures (if > 0)	<i>n=2'848</i>	6'706.22	8'537.38
Total health care costs		2'478.86	5'240.32
Rural area		0.30	–
Deductible	230	0.40	–
	400	0.16	–
	600	0.26	–
	1'200	0.10	–
	1'500	0.08	–
Supplementary insurance	<i>alternative</i>	0.58	–
	<i>semi-private</i>	0.15	–
	<i>private</i>	0.14	–

Structural model: individual choice.

First stage: health indicator θ observed; deductible D chosen.

Second stage: health state h is realised; health care consumption x and a composite good c are chosen.

For the individual, monetary costs associated with health care (given D):

$$M(x) = \min\{px; D + \tau(px - D); D + \tau K\}.$$

Total out of pocket costs include non monetary costs:

$$C(x; D) = M(x) + ax.$$

Second stage (incentive effect)

$$v(h, W; D) \equiv \max_{c, x | c + C(x; D) \leq W} (u(x, c, h))$$

Gives the (ex post) utility level v , and the health care consumption function $x(h, W; D)$.

Incentive effect: x decreases with D . Limit case: $D = +\infty$ (no insurance), $X(h, W)$ (ex post efficient).

First stage (selection effect)

$$\max_{D, W | W + P(D) \leq W_0} E[v(\tilde{h}, W; D) | \theta].$$

Selection effect: D increases with θ , hence $(h|D)$ increases with D .

Demand for health care : incentives

Under Cobb-Douglas utility.

Second stage (incentive effect)

There exist critical values $h^1(D)$ and $h^2(D)$, and two constants $\lambda_0 > \lambda_\tau > 1$ such that:

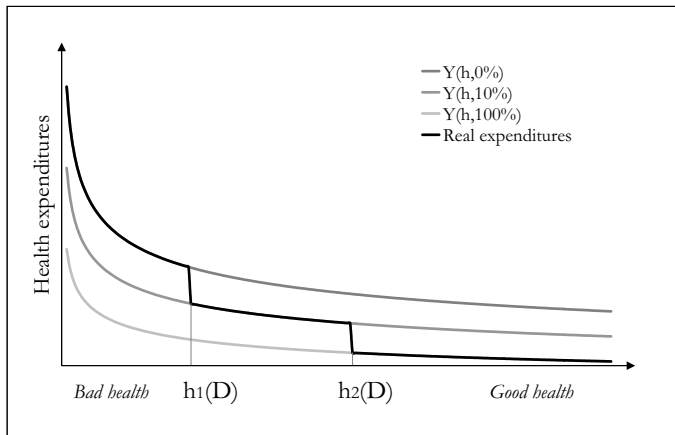
- ▶ bad health: $h < h^1(D)$, expenditures exceed the cap:
 $x(h, D) = X(h)\lambda_0$;
- ▶ average health: $h \in [h^1(D), h^2(D)]$, expenditures exceed deductible:
 $x(h, D) = X(h)\lambda_\tau$
- ▶ good health: $h > h^2(D)$, expenditures below deductible:
 $x(h, D) = X(h)$.

First stage: selection effect.

Increasing θ (better expected health): larger D is preferred (bunching).

We assume that, conditional on D , $(X(h)|D)$ follows a (two-step) lognormal distribution (p_D, μ_D, σ_D) . If p_D, μ_D differ across D , this reveals a selection effect.

Demand for health care



Identification assumption : multiplicative incentive effect

$$x(h, \tau) = X(h)\lambda_\tau.$$

λ represents the incentive effect: $\lambda_0 > \lambda_\tau > 1$ is a multiplicative factor when copayment rate changes.

Empirical strategy:

$$\begin{array}{lll} & \text{proba } p & \\ x = 0 & \Rightarrow & X = 0 \\ & \text{proba}(1 - p) & \\ 0 < x \leq D & \Rightarrow & x = X \\ D \leq x \leq D + K & \Rightarrow & x = D + (X - D)\lambda_\tau \\ D + K \leq x & \Rightarrow & x = D + K\lambda_\tau + (X - D - K)\lambda_0 \end{array}$$

Variable	Benchm	Incentive	Selection	Both	z-value
λ_τ		1.6565		1.8783	31.87
λ_0		2.0947		2.4963	19.03
Mean (μ_D)					
constant	5.3923	5.4547	5.5576	5.4635	179.91
D400			-0.0661	0.0195	1.06
D600			-0.1709	0.0356	1.84
D1200			-0.2584	0.1567	4.30
D1500			-0.6914	-0.0522	-0.80
age	0.3437	0.2807	0.3301	0.2652	46.97
Variance (σ_D^2)					
constant	1.5261	1.2329	1.5960	1.2674	45.99
D400			-0.1006	-0.1323	-9.72
D600			-0.1146	-0.1894	-14.43
D1200			-0.0338	-0.1774	-6.76
D1500			0.1106	-0.0930	-1.90
age	-0.0556	-0.0350	-0.0597	-0.0359	-9.89
ρ					
constant	0.3742	0.3742	0.5694	0.5694	73.42
D400			0.0094	0.0094	1.78
D600			-0.0889	-0.0889	-14.19
D1200			-0.2996	-0.2996	-30.82
D1500			-0.4037	-0.4037	-39.90
age	0.0645	0.0645	0.0443	0.0443	55.22

Simulation: with estimated values of λ , compare with $D = 1500$

<i>Deductible</i>	<i>230</i>	<i>400</i>	<i>600</i>	<i>1'200</i>
Incentive effect	697	521	306	62
Selection effect	2'163	1'513	953	651
Observed difference	2'860	2'034	1'258	713

Differences in spendings: 1/4 incentive effect, 3/4 selection effect.

Should deductibles be increased?

- depends on risk aversion...